

All 3 methods represent the SAME PATTERN!

In Section 4.1, we used a table of values to get the graph and the equation for a pattern. Let's do one more example with x and y now.

1. Table of Values and	2. Graph	3. Equation
x y (x,y) -2 -7 (,) -1 -4 (,) 0 -1 (,) 1 2 (,) 2 5 (,)		<u>Check:</u>

<u>*Remember:*</u> For a linear pattern, there are **two** important features:

 1.

 2.

When we talk about equations of lines (especially when we use x and y) we use different names for the same two things:

y – intercept: _____

which is the same as: _____

slope: _____

which is the same as: _____

The linear equation: $y = 3x - 1$	has a y-intercept = and a slope =
The linear equation: $y = \frac{1}{2}x + \frac{4}{3}$	has a y-intercept = and a slope =
The linear equation: $y = x - 2$	has a y-intercept = and a slope =
The linear equation: $y = -x$	has a y-intercept = and a slope =

Example #1: Graph the linear equation y = -2x + 3

(In this example, the y-intercept = _____ and the slope = _____)

Step 1: Create a table of values and ordered pairs that match with the equationStep 2: Plot the points on a graph and join them as a line, with arrows on both ends

(*Note*: You can choose **ANY** values for x, then use those values to calculate y)

1. Table of Values and Ordered Pairs		2. Graph		
Choose 5 different x values Calculate the y values that match. Write the ordered pairs!		Plot the points and join them as a line. Draw arrows on both ends to show it continues in both directions forever		
	$ \begin{array}{c} (x,y) \\ (,$			

Example #2: 3y - x + 9 = 0

 (In this example, we need to convert into y=mx+b form first!)

 (The y-intercept = ______ and the slope = ______)

 Find 5 ordered pairs that match with the equation, then draw the graph

 Convert into y=mx+b form:

 (x, y)

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(It makes life easier if we pick multiples of 3 so that we don't have to graph fractions)

Example #3: In January, the temperature (*T*) outside Lord Byng is given by the equation T = 2h - 5 where *h* is the number of hours after school starts.

In this	s examp	le, we should put			on the <i>x</i> -axis and	 on the <i>y</i> -axis.
	• ,		1.1	1		

The y-intercept = _____ and the slope = _____

a) Find the temperature outside Byng zero, two and four hours after school starts.	b) Graph the equation
c) Using the graph, estimate the temperature outside Byng 5 ¹ / ₂ hours after school starts.	d) Using the graph, estimate how many hours after school starts is the temperature 0 degrees.

Homework: Section 4.2 # 4-5all, 6all, 7left, 8 (a-f), 10, 12, 13