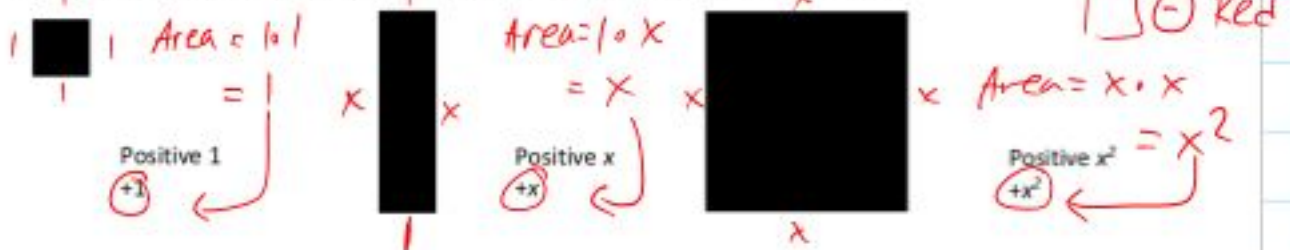


Math 9 Section 5.3 – Multiplying Polynomials

Homework: Section 5.3 on Pg. 181; #1-3half, 4-5all, 6a, 7-10half

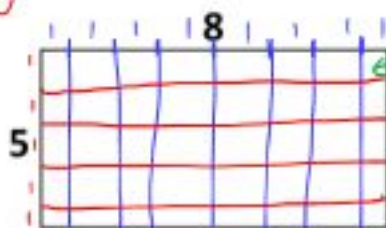
Recall our algebra tiles and how we figured out the value of each tile:



When we calculate the area of a rectangle, we multiply the sides together.

If we want to find the answer for two numbers multiplied together, that's the same as finding the area of a rectangle with the length equal to the first number and width equal to the second number.

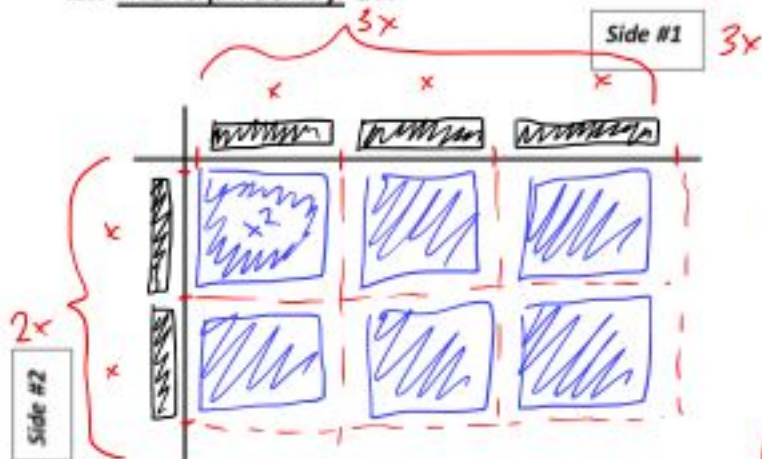
Area = $5 \cdot 8 = 40$



Area = $5 \cdot 8$
 little area = 1
 total area = $1 \cdot \# \text{ of squares} = 40$

This idea also works for polynomials, and we can use the algebra tiles to "measure out" the sides of the rectangle.

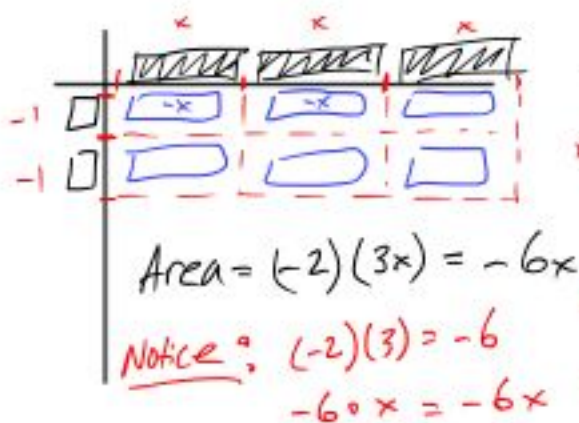
$2x$ multiplied by $3x$



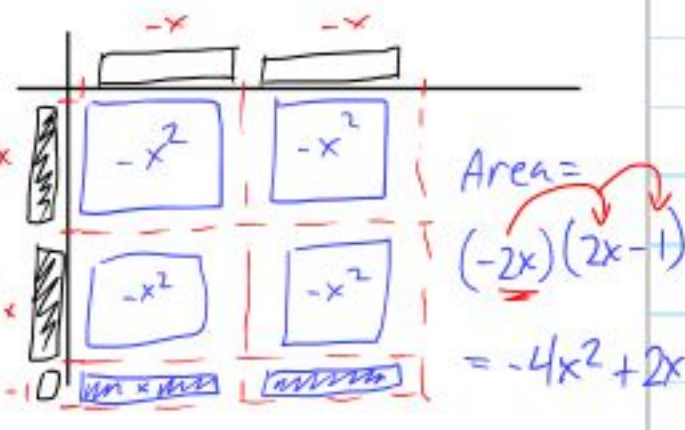
Area = $2x \cdot 3x$
 $= \underline{6x^2}$

Notice: $2 \cdot 3 = 6$
 $x \cdot x = x^2$
 $6 \cdot x^2 = \underline{6x^2}$

-2 multiplied by 3x



-2x multiplied by 2x - 1



From our algebra tile pictures, we can see the pattern for multiplying polynomials:

1. Multiply our Coefficients (numbers) → multiply together
2. Multiply our Variables (letters)
3. If there are 2 or more terms, distribute the multiplication and add together (just like subtracting)

$$\begin{aligned} (-3x^2)(-7x) &= [(-3) \cdot (-7)] \cdot [x^2 \cdot x^1] = (-4x^2y)(x^4y^7) = [(-4) \cdot (1)] \cdot [x^2y \cdot x^4y^7] \\ &= \boxed{21x^3} \quad \text{same base } 2^2 \cdot 2^1 = 2^3 \end{aligned}$$

$$\begin{aligned} (-2x)(3x^2 - 5) &= (-2x)(3x^2) + (-2x)(-5) \\ &= \boxed{-6x^3 + 10x} \end{aligned}$$

$$\begin{aligned} (3x + 2y)(xy) &= (3x)(xy) + (2y)(xy) \\ &= \boxed{3x^2y + 2xy^2} = \cancel{5x^2y^2} \end{aligned}$$

$$\begin{aligned} (2x^2 - x + 4)(-3x^2) &= (2x^2)(-3x^2) + (-x)(-3x^2) + (4)(-3x^2) \\ &= \boxed{-6x^4 + 3x^3 - 12x^2} \end{aligned}$$