	Name:	
Foundations 12:	$_{n}P_{r} = \frac{n!}{(n-r)}$	$\frac{n!}{n!} \qquad nC_r = \frac{n!}{(n-r)!r!}$
Permutations & Combinations	$\mathbf{Quiz \#3} \qquad (n-r)$	)! $(n-r)!r!$
Full credit will only be awarded for all work shown in a neat and organized manner.	n! = (n)(n)	(n-1)(n-2)(3)(2)(1)
<u>In a deck of cards there are</u>		
<ul> <li>52 cards total</li> </ul>	• 26 black cards	• 26 red cards
	(Clubs and Spades)	(Hearts and Diamonds)
• 13 cards of each suit	<ul> <li>4 Cards of each type</li> </ul>	
(Clubs, Spades, Hearts Diamonds)	(A, 2-10, J, Q, K)	
1. How many 5-card hands can be made w	/ith:	
a. exactly 3 Diamonds?	b. exactly 2 kings and 2 queens?	

c. at most 2 red cards?

d. at least 1 Club? (Use complement for full marks)

2. How many ways can we arrange the letters in the word "WORKBOOK" if:

a. no restrictions? b. the letter "K" must be last?

c. the first two letters are both "O"?

d. all the "K"s are together?

- 3. Mr. G is coaching the Lord Byng Junior Volleyball team. He has 14 players on the team in total.
  - a. If he needs to choose 6 of them (positions don't matter) for the starting lineup, and Tim (team captain) must be on the starting lineup, how many starting lineups are possible?

b. If he needs to choose 6 of them (positions don't matter) for the starting lineup, but Sam and Howard can't both be on the starting lineup, how many lineups are possible?

c. Mr. G is making a promo poster for the team. He wants 9 total students standing in a row, with Tim in the middle, for a picture on the poster. How many ways can Mr. G arrange the team members for the photo?

4. A school schedule has 8 blocks (4 blocks day 1; 4 blocks day 2). A student has to choose 5 academic courses and 3 elective courses. There are 9 different academic courses and 12 different elective courses to choose from. If each course is offered every block and schedule order is important, how many different schedules can be made?